

The figure displays a 2D plot of a probability density function (PDF) at various time steps. The x and y axes range from -10 to 10. A grid of squares is overlaid on the plot. The PDF is represented by a series of nested, irregular contours. The central peak is located at the origin (0,0) and becomes increasingly elongated and irregular as time progresses, with the outermost contour showing a long tail extending towards the bottom-left corner.

TEX Gyre Termes Math, ver. 1.502

$$\langle a \rangle \langle \frac{a}{b} \rangle \langle \frac{\frac{a}{b}}{c} \rangle$$

[illegible]

	ConT _E Xt	LuaL ^A T _E X	X _Ǝ L ^A T _E X	MS Word 2010
Latin Modern Math	$\overbrace{\text{Siedém}}^{\text{aaaaaaa}}\overbrace{\text{pięc}}^{\text{aaaaa}}$	$\overbrace{\text{Siedm}}^{\text{aaaaaaa}}\overbrace{\text{pi}}^{\text{aaaaa}}$	$\overbrace{\text{Siedm}}^{\text{aaaaaaa}}\overbrace{\text{pi}}^{\text{aaaaa}}$	$\overbrace{\text{Siedém}}^{\text{aaaaaaa}}\overbrace{\text{pięc}}^{\text{aaaaa}}$
TG Bonum Math	$\overbrace{\text{Siedém}}^{\text{aaaaaaaa}}\overbrace{\text{pięc}}^{\text{aaaaaa}}$	$\overbrace{\text{Siedm}}^{\text{aaaaaaaa}}\overbrace{\text{pi}}^{\text{aaaaaa}}$	$\overbrace{\text{Siedm}}^{\text{aaaaaaaa}}\overbrace{\text{pi}}^{\text{aaaaaa}}$	$\overbrace{\text{Siedém}}^{\text{aaaaaaaa}}\overbrace{\text{pięc}}^{\text{aaaaaa}}$
TG Schola Math	$\overbrace{\text{Siedém}}^{\text{aaaaaaaa}}\overbrace{\text{pięc}}^{\text{aaaaaa}}$	$\overbrace{\text{Siedm}}^{\text{aaaaaaaa}}\overbrace{\text{pi}}^{\text{aaaaaa}}$	$\overbrace{\text{Siedm}}^{\text{aaaaaaaa}}\overbrace{\text{pi}}^{\text{aaaaaa}}$	$\overbrace{\text{Siedém}}^{\text{aaaaaaaa}}\overbrace{\text{pięc}}^{\text{aaaaaa}}$
TG Pagella Math	$\overbrace{\text{Siedém}}^{\text{aaaaaaa}}\overbrace{\text{pięc}}^{\text{aaaaa}}$	$\overbrace{\text{Siedm}}^{\text{aaaaaaa}}\overbrace{\text{pi}}^{\text{aaaaa}}$	$\overbrace{\text{Siedm}}^{\text{aaaaaaa}}\overbrace{\text{pi}}^{\text{aaaaa}}$	$\overbrace{\text{Siedém}}^{\text{aaaaaaa}}\overbrace{\text{pięc}}^{\text{aaaaa}}$
TG Termes Math	$\overbrace{\text{Siedém}}^{\text{aaaaaaa}}\overbrace{\text{pięc}}^{\text{aaaaa}}$	$\overbrace{\text{Siedm}}^{\text{aaaaaaa}}\overbrace{\text{pi}}^{\text{aaaaa}}$	$\overbrace{\text{Siedm}}^{\text{aaaaaaa}}\overbrace{\text{pi}}^{\text{aaaaa}}$	$\overbrace{\text{Siedém}}^{\text{aaaaaaa}}\overbrace{\text{pięc}}^{\text{aaaaa}}$
Cambria Math	$\overbrace{\text{Siedém}}^{\text{aaaaaaaa}}\overbrace{\text{pięc}}^{\text{aaaaaa}}$	$\overbrace{\text{Siedm}}^{\text{aaaaaaaa}}\overbrace{\text{pi}}^{\text{aaaaaa}}$	$\overbrace{\text{Siedm}}^{\text{aaaaaaaa}}\overbrace{\text{pi}}^{\text{aaaaaa}}$	$\overbrace{\text{Siedém}}^{\text{aaaaaaaa}}\overbrace{\text{pięc}}^{\text{aaaaaa}}$
Asana Math	$\overbrace{\text{Siedém}}^{\text{aaaaaaa}}\overbrace{\text{pi}}^{\text{aaaaa}}$	$\overbrace{\text{Siedm}}^{\text{aaaaaaa}}\overbrace{\text{pi}}^{\text{aaaaa}}$	$\overbrace{\text{Siedm}}^{\text{aaaaaaa}}\overbrace{\text{pi}}^{\text{aaaaa}}$	$\overbrace{\text{Siedém}}^{\text{aaaaaaa}}\overbrace{\text{pięc}}^{\text{aaaaa}}$
Lucida Math	$\overbrace{\text{Siedm}}^{\text{aaaaaaaa}}\overbrace{\text{pi}}^{\text{aaaaa}}$	$\overbrace{\text{Siedm}}^{\text{aaaaaaaa}}\overbrace{\text{pi}}^{\text{aaaaa}}$	$\overbrace{\text{Siedm}}^{\text{aaaaaaaa}}\overbrace{\text{pi}}^{\text{aaaaa}}$	$\overbrace{\text{Siedém}}^{\text{aaaaaaaa}}\overbrace{\text{pięc}}^{\text{aaaaa}}$
XITS Math	$\overbrace{\text{Siedém}}^{\text{aaaaaaa}}\overbrace{\text{pięc}}^{\text{aaaaa}}$	$\overbrace{\text{Siedm}}^{\text{aaaaaaa}}\overbrace{\text{pi}}^{\text{aaaaa}}$	$\overbrace{\text{Siedm}}^{\text{aaaaaaa}}\overbrace{\text{pi}}^{\text{aaaaa}}$	$\overbrace{\text{Siedém}}^{\text{aaaaaaa}}\overbrace{\text{pięc}}^{\text{aaaaa}}$

Latin Modern Math

PDF_LA_TE_X
(CM fonts)

$$\frac{\frac{\partial \mathbf{H}_{i\alpha,i\beta}}{\partial \vec{R}_k} = \frac{\partial \mathbf{H}_{i\alpha,i\beta}}{\partial \varrho_i} \frac{\partial \varrho_i}{\partial \vec{R}_k} = \frac{2}{3} \left(b_q \varrho_i^{-1/3} + 2c_q \varrho_i^{1/3} \right) \frac{\partial}{\partial \vec{R}_k} \left(\sum_{j \neq i} e^{(-\lambda^2 R_{ij})} F_c(R_{ij}) \right)}{\ln \left(\lim_{z \rightarrow \infty} \left(\left((\overline{X}^T)^{-1} - (\overline{X}^{-1})^T \right) + \frac{1}{z} \right)^2 \right) + \sin^2(p) + \cos^2(p)} = \frac{1}{2} \sum_{n=0}^{\infty} \left(\frac{128}{2^8} \right)^n \sum_{n=0}^{\infty} \frac{\cosh(q) \cdot \sqrt{1 - \tanh^2(q)}}{2^n}$$

ConT_EXt

$$\frac{\frac{\partial \mathbf{H}_{i\alpha,i\beta}}{\partial \vec{R}_k} = \frac{\partial \mathbf{H}_{i\alpha,i\beta}}{\partial \varrho_i} \frac{\partial \varrho_i}{\partial \vec{R}_k} = \frac{2}{3} \left(b_q \varrho_i^{-1/3} + 2c_q \varrho_i^{1/3} \right) \frac{\partial}{\partial \vec{R}_k} \left(\sum_{j \neq i} e^{(-\lambda^2 R_{ij})} F_c(R_{ij}) \right)}{\ln \left(\lim_{z \rightarrow \infty} \left(\left((\overline{X}^T)^{-1} - (\overline{X}^{-1})^T \right) + \frac{1}{z} \right)^2 \right) + \sin^2(p) + \cos^2(p)} = \frac{1}{2} \sum_{n=0}^{\infty} \left(\frac{128}{2^8} \right)^n \sum_{n=0}^{\infty} \frac{\cosh(q) \cdot \sqrt{1 - \tanh^2(q)}}{2^n}$$

LuaL^AT_EX

$$\frac{\frac{\partial \mathbf{H}_{i\alpha,i\beta}}{\partial \vec{R}_k} = \frac{\partial \mathbf{H}_{i\alpha,i\beta}}{\partial \varrho_i} \frac{\partial \varrho_i}{\partial \vec{R}_k} = \frac{2}{3} \left(b_q \varrho_i^{-1/3} + 2c_q \varrho_i^{1/3} \right) \frac{\partial}{\partial \vec{R}_k} \left(\sum_{j \neq i} e^{(-\lambda^2 R_{ij})} F_c(R_{ij}) \right)}{\ln \left(\lim_{z \rightarrow \infty} \left(\left((\overline{X}^T)^{-1} - (\overline{X}^{-1})^T \right) + \frac{1}{z} \right)^2 \right) + \sin^2(p) + \cos^2(p)} = \frac{1}{2} \sum_{n=0}^{\infty} \left(\frac{128}{2^8} \right)^n \sum_{n=0}^{\infty} \frac{\cosh(q) \cdot \sqrt{1 - \tanh^2(q)}}{2^n}$$

X_ƎL^AT_EX

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TeX Gyre Bonum Math

$$\frac{\partial \mathbf{H}_{ia,i\beta}}{\partial \vec{R}_k} = \frac{\partial \mathbf{H}_{ia,i\beta}}{\partial \varrho_i} \frac{\partial \varrho_i}{\partial \vec{R}_k} = \frac{2}{3} \left(b_q \varrho_i^{-1/3} + 2c_q \varrho_i^{1/3} \right) \frac{\partial}{\partial \vec{R}_k} \left(\sum_{j \neq i} e^{(-\lambda^2 R_{ij})} F_c(R_{ij}) \right)$$

ConTeXt

$$\frac{\ln \left(\lim_{z \rightarrow \infty} \left(\left((\overline{X}^T)^{-1} - (\overline{X}^{-1})^T \right) + \frac{1}{z} \right)^2 \right) + \sin^2(p) + \cos^2(p)}{\sum_{n=0}^{\infty} \frac{\cosh(q) \cdot \sqrt{1 - \tanh^2(q)}}{2^n}} = \frac{1}{2} \sum_{n=0}^{\infty} \left(\frac{128}{2^8} \right)^n$$

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Lua^{La}TeX

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X_{La}TeX

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TeX Gyre Schola Math

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X_{La}TeX

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TeX Gyre Pagella Math

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ConTeXt

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LuaL^AT_EX

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X_ƎL^AT_EX

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TeX Gyre Termes Math

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LuaL^AT_EX

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X_ƎL^AT_EX

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Glyph repertoire of Latin Modern Math

[illegible]

Glyph repertoire of T_EX Gyre Bonum Math

[illegible]

Glyph repertoire of T_EX Gyre Schola Math

[illegible]

Glyph repertoire of T_EX Gyre Pagella Math

[illegible]

Glyph repertoire of T_EX Gyre Terms Math

[illegible]